## **FYS 3610 EXERCISES WEEK 36**

- 1) Visit NASA's home page for the CGM model of the Earth's magnetic field: <a href="http://nssdc.gsfc.nasa.gov/space/model/models/igrf.html#year">http://nssdc.gsfc.nasa.gov/space/model/models/igrf.html#year</a>
- i) Where is the north CGM pole located?
- ii) Calculate CGMLat, CGMLon, magnetic conjugate point, L- value, H, D, Z component for the magnetic field, magnetic field strength, Inclination for the following geographic co-ordinates:

University of Oslo: (59.91, 10.73) University of Tromsø: (69.7, 18.9) Andøya Rocket Range: (69.28, 16.01)

Longyearbyen: (78.2, 15.7)

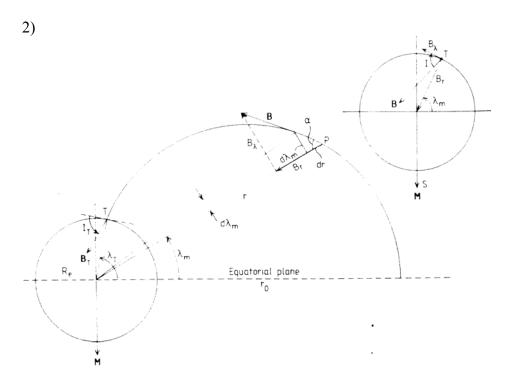


Figure 1: An illustration showing the geometry of the magnetic field line to assist in deriving a geometric formula for B.

Assume a dipole magnetic field. Introducing the magnetic latitude  $\lambda_m$  of which unit vector relates to the co-latitude unit vector defined in the lecture in the following way:

$$\widehat{\lambda}_m = -\widehat{\theta}$$

Then the magnetic field can be written as:

$$\vec{B} = B_r \hat{r} + B_{\lambda_m} = H_0 \left( -2\sin\lambda_m \hat{r} + \cos\lambda_m \hat{\lambda}_m \right)$$

i) Show that 
$$L = \frac{r_0}{R_E} = \frac{1}{\cos^2 \lambda_m}$$
  
Hint:  $\tan \alpha = \frac{r \cdot d\lambda_m}{dr} = \frac{B_\lambda}{B_r}$ 

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$$\tan \alpha = \frac{r \cdot d\lambda_m}{dr} = \frac{B_{\lambda}}{B_r}$$

- Estimate B-field strength, inclination and L-value based on the dipole model, ii) and compare with corresponding values calculated in Exercise 1.
- 3) Estimate the magnetopause standoff distance in the case when the solar wind speed is 600 km/s and the solar wind density is 10 cm<sup>-3</sup>.