



Walkthrough Oblig 1

20 October, 2008



2 a) Events I

Q. What are the first events of Figure 1?

A. ?(Call-for-proposals, Peter, syst:System)

- Explanation:
 - Causality
 - a message can never be received before it has been sent
 - Weak sequencing
 - events from the same lifeline are ordered in the trace in the same order as on the lifeline
 - Only the lifeline Peter starts with a reception message





2 a) Events II

Q. What are the last events of Figure 1?

A. !(Reject, syst:System, Paul),
?(Evaluation, Peter, syst:System)

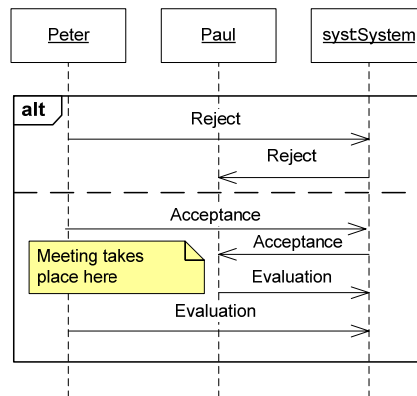
▪ Explanation:

- Causality
- Weak sequencing
- Semantics of alt
 - Union of traces obtained from sequencing upper fragment with set of traces from each operand
- Only the lifeline syst:System ends with a reception message in both cases



2 b) I Counting the traces

First operand:
<!peres, ?peres, !srepa, ?srepa>



peres = (Reject, Peter, syst:System)

peas = (Accept, Peter, syst:System)

pees = (Evaluation, Peter, syst:System)

srepa = (Reject, syst:System, Paul)

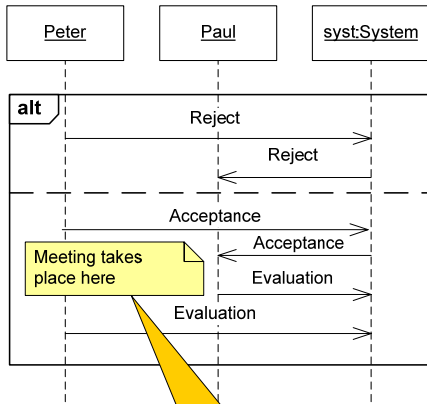
sapa = (Accept, syst:System, Paul)

paes = (Evaluation, Paul, syst:System)

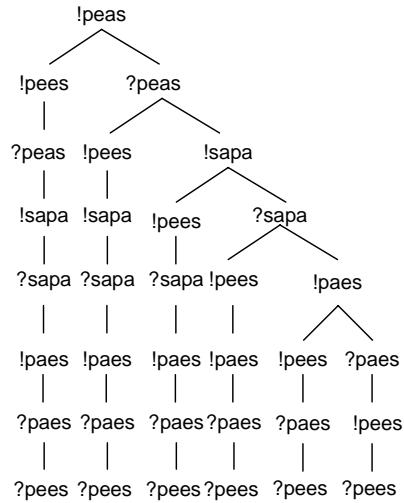




2 b) I Counting the traces



Second operand:



2 b) II

Q. How many traces are negative with respect to *Negotiation*?

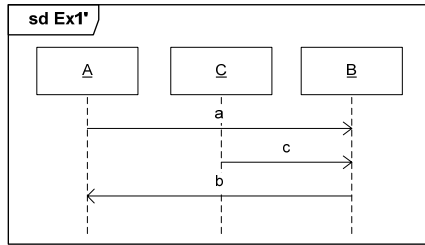
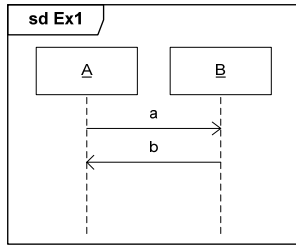
A. None

▪ Explanation

- The sequence diagram uses no constructs for specifying negative behaviour, such as refuse, veto, assert or guards



2 c) I Supplementing



- $[[Ex1]] = \{ \{ \langle !a, ?a, !b, ?b \rangle \}, \emptyset \}$
- $[[Ex1']] = \{ \{ \langle !a, ?a, !c, ?c, !b, ?b \rangle, \langle !a, !c, ?a, ?c, !b, ?b \rangle, \langle !c, !a, ?a, ?c, !b, ?b \rangle \}, \emptyset \}$
- Supplementing means
 - recategorizing inconclusive trace as either positive or negative
 - NB: all of the original positive traces must remain positive, and all of the original negative traces must remain negative
 - $(p, n) \rightsquigarrow_s (p', n') \stackrel{\text{def}}{=} p \subseteq p' \wedge n \subseteq n'$
- $Ex1'$ is not a supplementing of $Ex1$



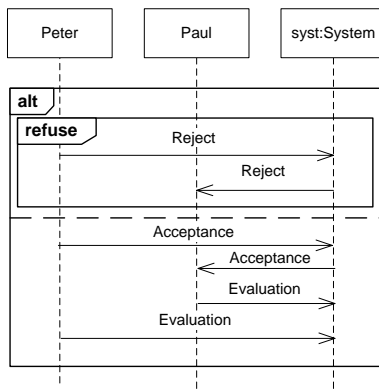
2 c) I Supplementing

- *Negotiation2* relates to *Negotiation* as $Ex1'$ relates to $Ex1$
- It is not a supplementing of *Negotiation*





2 c) II Narrowing



- Narrowing means redefining positive traces as negative

- $(p, n) \rightsquigarrow_n (p', n') \stackrel{\text{def}}{=} p' \subseteq p \wedge n' = n \cup (p \setminus p')$

