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2. Show that every non-negative extended real valued \mathcal{A} -measurable function is a limit of simple functions.
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